## JAYPEE UNIVERSITY OF INFORMATION TECHNOLOGY, WAKNAGHAT TEST-2 EXAMINATIONS-2024

B.Tech.- VIII Semester (All)

COURSE CODE (CREDITS): 21B1WCE831 (3)

MAX. MARKS: 25

COURSE NAME: Disaster Risk Analysis and Management

COURSE INSTRUCTOR: Dr. Sugandha Singh

MAX. TIME: 1 Hour 30 Minutes

Note: [1] All questions are compulsory. Marks are indicated against each question in square

[2] The probability tables are available with the invigilators. Request them when you need it.

1. Derive the relationship for evaluating  $E(\ln X)$  denoted by  $\lambda$ , and  $Var(\ln X)$  denoted by  $\xi$ , in

2. The time between severe earthquakes at a given region follows a lognormal distribution with a coefficient of variation of 40%. The expected time between earthquakes is 80 years.

a. Determine the parameters of this lognormally distributed recurrence time. [CO2, CO3]

b. Determine the probability that a severe earthquake will occur within 20 years from

c. Suppose the last severe earthquake in the region took place 100 years ago. What is the probability that a severe earthquake will occur over the next year?

3. A new material is subjected to strength testing. Assume that the maximum load is specified at a reasonably high level so that the calculated probability of the material passing the test at the maximum load is 0.9. However, it is felt that this calculation is only 70% reliable, and there is a 25% chance that the true probability may be 0.5; moreover, there is even a 5% chance that it may be only 0.10.

a. What is the expected probability of the material passing the test at maximum load?

b. If only one specimen of material is tested, and it survives the maximum load, determine the updated distribution of the probability of the material passing the test.

c. What is the expected probability of passing the test after the previous test? [3] [1]

4. State the fundamental assumptions in the theory of Probability. [CO1, 5]