# A Programmable Phased Array with Time-Delay Units and its Applications 

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#### Abstract

In this paper, a phased array antenna schematic using true time delays is proposed and suitable time-delays are inserted by switching ON/OFF the RF switches. Using this concept, one can generate SUM pattern, DIFFERENCE pattern, as well as a combination of these two. It is shown that SUM-DIFFERENCE pattern has interesting applications in radar, namely, calibration of beam pointing accuracy and blind speed elimination in a delay line cancellation method. The proposed method can also be formatted to requirements of conical scan as well as shaped beam generation. The proposed method is validated using existing knowledge.


Keywords Phased array time-delay • Conical scan • Microcontroller • Phase shifter • Shaped beam

[^0]
## 1 Introduction

Phased array antennas are widely used in the radar systems and also find its worth in the field of satellite and mobile communication systems. Conventionally, a phased array antenna relies upon the phase-shifters for electronic beam steering and for other capacities [1]. But the efficiency is limited for having phase-shifters [2]. They have a limited range of the frequency of operation as they primarily depend upon phase-shifter characteristics. They require a complex control circuitry for switching the phase-shifters which also overheads on the cost of designing a phased array system.

In this communication, a different approach on beam steering and scanning is realized. Unlike the conventional use of phase-shifters in beam-formation, focus is given here on time-delay units (delay-lines). The time-delay unit inserts progressive phase gradient between antenna elements, hence by designing a programmable switching matrix beam steering and beam synthesis is possible which is explained in the next section. This offers real advantage in designing a wideband phased array system. This method of beam steering (beam formation) is exploited in several areas of application that is SUM and DIFFERENCE pattern generation, calibration, blind speed elimination, conical scanning, etc. The SUM and DIFFERENCE patterns may be generated simultaneously for the calibration of large phased array antennas. A hybrid matrix using time-delays and phase shifters may be applied for conical scanning. Again, the technique is employed for blind speed elimination in radar instead of traditional delay-line approach.

Finally, a simple method for shaped pattern (beam) generation has been conceptualized. Conventionally, the shaped patterns are generated by perturbing the radiating elements with appropriate phase and amplitude weights, which are obtained from different procedures [3-6]. But
in this proposition, the whole array is subdivided into few subarrays and the patterns form each subarrays are approximately added to generate desired shaped pattern. To implement this, individual element in each subarray is loaded with suitable phase tapering (delay line) which place the beams (from subarrays) in a desired direction. When any subarray beam overlaps with an adjacent beam, a shaped envelope is obtained otherwise it produces a null in the final pattern. Here, the generation of cosecant and sector beam is represented as the shaped pattern.

## 2 Antenna Schematic and Generation of Sum Pattern

A $6 \times 6$ planar array with time delay units is depicted in Fig. 1. In this schematic, there are six (6) linear arrays and each array is connected to a set of time delays (in terms of unit delay T) into the levels designated as $D, E$, and $F$. Similarly, each array also consists of six (6) radiating elements connected to the same 3-level delay matrix (not shown), may be assumed as $A, B$, and $C$ [7]. Thus, for RF signal to traverse the complete path, only one DP3T PIN switch in each level ( $D, E$, and $F$ ) should be 'ON' while keeping others 'OFF'. Similar is the case for A, B, and C. It is necessary to outline that when one particular switch in level-D, say $D_{0}$ is 'ON'(means D1, D2 'OFF'), inserts $5 T$
delay in the left-most array, the corresponding switches with other arrays are also ON thereby inserting $4 T, 3 T, 2 T$, $T$ and $0 T$. Therefore, programmable selection of PIN switches introduce progressive phase gradient in $\pm \mathrm{X}$ (for linear array) and $\pm \mathrm{Y}$ direction (for planar array). Here, +X indicates the eastward inclination of main beam away from boresight (broadside) direction $\left(90^{\circ}\right)$ whereas $-X$ indicates the opposite direction (westward from boresight). Similarly, $+\mathrm{Y} /-\mathrm{Y}$ directions denotes north/south inclination form zenith (broardside), which is perpendicular to $\pm \mathrm{X}$ directions.

Table 1 represents some switching combinations ("1" for ON, ' 0 ' for OFF) for SUM pattern in respect to the RF switches and the resulting delay gradients. It is clear from Table 1 that the beam can be electronically steered toward East-West and North-South directions using independent control of $A, B, C, D, E, F$ switches. Here, an additional layer is inserted in the planar array (Fig. 1) for the selection of either SUM or DIFFRENCE pattern. For SUM pattern $L 1=R 0=1$ and for DIFFERENCE pattern, either $L 0=R 0=1$ (for -X direction) or $L 1=R 1=1$ (for $+X$ direction). This is done because, DIFFERENCE pattern requires $180^{\circ}$ additional phase difference between halves of the array elements. Therefore, the equivalent delay is $6 T$ considering unit delay $T=\pi / 6$. For a planar phased array, the following relations hold true [8]:


Fig. 1 Schematic of planar array with programmable switched time-delay units

Table 1 Switching pattern for $6 \times 6$ planar array

| $\mathrm{A}_{0} / \mathrm{D}_{0}$ | $\mathrm{~A}_{1} / \mathrm{D}_{1}$ | $\mathrm{~A}_{2} / \mathrm{D}_{2}$ | $\mathrm{~B}_{0} / \mathrm{E}_{0}$ | $\mathrm{~B}_{1} / \mathrm{E}_{1}$ | $\mathrm{~B}_{2} / \mathrm{E}_{2}$ | $\mathrm{C}_{0} / \mathrm{F}_{0}$ | $\mathrm{C}_{1} / \mathrm{F}_{1}$ | $\mathrm{C}_{2} / \mathrm{F}_{2}$ | Progressive delay (direction) |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 1 | 0 | 1 | 0 | 0 | 1 | 0 | +T |
| 0 | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | +2 T (East-South) |
| 0 | 1 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | +3 T (East-South) |
| 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | +4 T (East-South) |
| 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | +5 T (East-South) |
| 0 | 0 | 1 | 0 | 1 | 0 | 0 | 1 | $+6 T$ (East-South) |  |

$T=$ Unit delay
$\beta_{x}=-k d_{x} \sin \theta_{0} \cos \phi_{0}$
and
$\beta_{y}=-k d_{y} \sin \theta_{0} \sin \phi_{0}$
where, $\theta_{0}$ is the elevation angle measured from zenith and $\phi_{0}$ is the azimuth angle measured from $+X$ (East) direction in anti-clockwise rotation. Here, $\beta_{x}$ and $\beta_{y}$ are progressive phase shift, $d_{x}$ and $d_{y}$ are inter-element spacing in $X$ and $Y$ direction, respectively. For this case, $d_{x}=d_{y}=d$. Solving simultaneously
$\tan \phi_{0}=\frac{\beta_{y}}{\beta x}$
$\sin ^{2} \theta_{0}=\left(\frac{\beta_{x}}{k d x}\right)^{2}+\left(\frac{\beta_{y}}{k d y}\right)^{2}$.
Here, one representative case is considered follows: $d_{x}=d_{y}=0.5 \lambda$ and $T=\pi / 6 \mathrm{rad}$ and switch controls as: $A_{0}=0, A_{1}=1, A_{2}=0, B_{0}=0, B_{1}=1, B_{2}=0$ and $C_{0}=0, C_{1}=0, C_{2}=1$ for linear array to obtain $+3 T\left(\beta_{x}\right)$ in $+X$ direction (or east) and $D_{0}=0, D 1=1, D_{2}=0$, $E_{0}=0, E_{1}=0, E_{2}=1$ and $F_{0}=0, F_{1}=0, F_{2}=1$ for $+5 T\left(\beta_{x}\right)$ in +Y direction (or South) for planar array. Substituting the values of $\beta_{x}=+3 \pi / 6$ and $\beta_{y}=+5 \pi / 6$ in expressions (3) and (4) we get elevation angle, $\theta_{0}=85.65^{\circ}$ and azimuth angle, $\phi_{0}=65.55^{\circ}$.

## 3 Generation of Difference Pattern

In this unique scheme, a DIFFERENCE pattern is generated in linear as well as planar domain. The centre null position scans on either side of zenith. Consider the control switch position for linear case as follows.

|  | $\mathrm{A}_{1}$ | $\mathrm{A}_{2}$ | $\mathrm{B}_{0}$ | B |  |  | $\mathrm{C}_{0}$ | $\mathrm{C}_{1}$ | C | $\mathrm{C}_{2}$ | L0 | L |  | R0 |  | Progressive delay (direction) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 1 | 0 | 0 | 0 | 1 |  | 0 | 1 | 0 |  | 0 | 1 |  | 0 | 1 | $+2 \mathrm{~T}$ |



Fig. 2 DIFFERENCE pattern at delay gradient $+2 \mathrm{~T}(T=\pi / 6)$ near $20^{\circ}\left(109.5^{\circ}\right)$ westward direction

The progressive time delay units in $+X$ direction are 0 , $2 T, 4 T, 12 T, 14 T, 16 T$. This results in a DIFFERENCE pattern with null position at $109.471^{\circ}$ Eastward or $19.47^{\circ}$ from boresight direction. Figure 2 shows this DIFFERENCE pattern. Similar to this, by changing the control bits $A 2$ and $B 2$ to " 1 " result in a DIFFERENCE pattern at boresight direction. The delay units for null at the zenith (boresight) are $0,0,0,6 T, 6 T, 6 T$.

## 4 Calibration Techniques

The true-time delays along with RF switches incorporate delay errors in the beam steering. Therefore, calibration of large phased arrays is required to off-set the beam-pointing errors. In an interesting approach to far-field measurements and calibration of very large sized array antenna, radio source has been used [9,10]. The noise temperature of the radio source Virgo-A (3C 274) was measured in the receive mode during its transit over the radar. The source under consideration should have appropriate right ascension and declination to be able to pass through the antenna array beam. The atmospheric radar had 256 Yagi elements operating at 53 MHz . In this paper, a conceptual variation to similar far-field measurements is presented. In this proposed method suitable selection of delay unit result in


Fig. 3 SUM, DIFFERENCE, and SUM-DIFFERENCE patterns
either SUM pattern or DIFFERENCE pattern. The SUMDIFFERENCE pattern can be utilized for measurement of primary accuracy as shown in Fig. 3. This is demonstrated in the following sections.

For measurement of beam pointing accuracy of less than $0.5^{\circ}$, a broad beam SUM pattern will not suffice. It is necessary to have a sharply pointed beam looking up at the target. This can be generated using SUM-DIFFERENCE pattern. Toggling the control bits in synchronization to a 1 KHz clock, the alternate SUM pattern and DIFFERENCE pattern are obtained and the difference in amplitude of the detected signal is taken. It is evident that for the resultant narrow beam, the measurement of beam pointing accuracy is much more meaningful.

## 5 Applications

In this section, few potential applications of the proposed antenna configuration such as delay line cancellation, conical scan, and shaped beam generation is discussed.

### 5.1 Delay Line Cancellations

Consider an array of an even number of elements 2 M is positioned in the $\mathrm{X}-\mathrm{Y}$ plane with Z axis being the direction of propagation. The inter-element spacing is $d$ and M elements are placed on each side of origin. Assuming that the amplitude excitation is symmetrical about the origin, the normalized array factor for SUM pattern (for nonuniform amplitude and same phase in each element) is given as:
$(\mathrm{AFS})_{2 M}=\frac{1}{M} \sum_{n=1}^{M} a_{n} \cos \left[\frac{(2 n-1)}{2} k d \cos \left(\frac{\pi}{2}-\theta\right)\right]$
where, $\theta$ is measured from broadside direction. In the DIFFERENCE pattern, one half of the array has phase
value of zero and the other half has phase value of $\pi$. The resultant array factor for the DIFFERENCE pattern is:

$$
\begin{equation*}
(\mathrm{AFD})_{2 M}=\frac{1}{M} \sum_{n=1}^{M} a_{n} \sin \left[\frac{(2 n-1)}{2} k d \cos \left(\frac{\pi}{2}-\theta\right)\right] \tag{6}
\end{equation*}
$$

We obtain the SUM-DIFFERENCE pattern from subtracting Eq. 6 from 5. For the SUM-DIFFERENCE pattern the beamwidth is narrow. It is also generates negative amplitude over a large range of elevation angles. By controlling the progressive phase difference between the elements, all the three beams can be squinted to give a maximum radiation in a given direction.

It is shown in [11] that the response of a single-delay line canceller goes to zero whenever the moving targets have the Doppler frequencies at the pulse repetition frequency (PRF) and its integer multiples. This happens because the amplitude of the signals received from pulse to pulse is assumed to remain the same. However, in the present proposition a single delay-line canceller with unequal amplitudes is considered. To satisfy this criterion, different beam patterns are utilized from pulse to pulse. The received signal (voltage) in the SUM beam with delay is:
$V_{1}=K \sin \left\{\omega_{d}\left(t-T_{p}\right)-\phi_{0}\right\}$
and the received signal in the DIFFERENCE beam is:
$V 2=K^{\prime} \sin \left\{\omega_{d} t-\phi_{0}\right\}$.
Here $\phi_{0}=4 \pi R_{0} / \lambda$, where $R_{0}$ is range between target and radar, $\mathrm{T}_{\mathrm{p}}$ is pulse repetition period of radar transmitter and $\omega_{d}$ is the angular Doppler frequency. Subtracting (SUM-DIFFERENCE) Eq. 8 from Eq. 7 gives:

$$
\begin{aligned}
V_{1}-V_{2}= & K \cos \phi_{0}\left\{\sin \omega_{d} t\left[\cos \omega_{d} T_{p}-K^{\prime} / K\right]\right. \\
& \left.-\sin \omega_{d} T_{p} \cos \omega_{d} t\right\} \\
& -K \sin \phi_{0}\left\{\cos \omega_{d} t\left[\cos \omega_{d} T_{p}-K^{\prime} / K\right]\right. \\
& \left.-\sin \omega_{d} T_{p} \sin \omega_{d} t\right\} .
\end{aligned}
$$

If the amplitude components $\cos \omega_{d} T_{p}-K^{\prime} / K$ and $\sin \omega_{d} T_{p}$ both are zero, above result will provide blind speeds at the received Doppler frequencies of $\pm n f_{p}$ (where $f_{p}=1 / T_{p}$ ). But here, due to their unequal amplitudes in the SUM and DIFFERENCE pattern (or if $K^{\prime}<K$ is chosen) blind speeds can be eliminated.

### 5.2 Schematic of Conical Scanning

In the preceding sections, the possibility of 2-D electronic scanning over the entire hemisphere has been demonstrated. Now, the same delay matrix in Fig. 1 has been modified for conical scanning. Table 2 specifies the bit weights of the digital phase-shifter, where bit-1 represents LSB, whereas bit- 8 represents MSB. Here, instead of the fixed time-delay units (in terms of unit delay $T$ ), 8-bit

Table 2 The bit weights and corresponding phase shifts

| Bits | 1 (LSB) | 2 | 3 | 4 | 5 | 6 | 7 | 8 (MSB) |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Phase shift <br> (in deg) | 1.4 | 2.8 | 5.6 | 11.2 | 22.4 | 44.8 | 89.6 | 179.2 |

digital phase-shifters (resolution of $1.4^{\circ}$ ) are employed for the generation of unit phase-shift $T$. So, the unit phase-shift $T$ can be varied accordingly. For conical scanning, both the azimuth and elevation angle to be changed simultaneously (rapidly), so that the beam-point rotates concentrically around to a target. To establish this idea for a single case, a representative set of discrete locations in the horizon is considered in Table 3 (col-1, col-2), the locus of which forms a polygon shape. This can be extended to nearconical shape by choosing larger delay matrix and higher resolution of digital phase shifter.

By loading (from microcontroller) appropriate bit-pattern in the inputs of digital phase-shifters, unit phase-shift $T$ can be generated, which in combine with the delay network provide the required phase shifts $\beta_{x}$ and $\beta_{y}$, which directs the beams in pre-fixed locations in terms of elevation and azimuth angles. Col-3 and col-4 of Table 3 elaborates phase gradients in X and Y directions (in terms unit phaseshifts $T$ ) for respective elevation and azimuth angles. In Col-5, unit phase-shifts has been calculated and they have been approximated in terms of the phase-shifts may be available from the digital phase-shifter. To avoid the loss of generality, inter-element spacing $\lambda / 2$ is taken.

From Table 3, it can be deciphered that a dual control of the delay (phase) matrix as well as unit phase-shift must be ensured so that each set of elevation and azimuth angles are obtained. The elevation and azimuth angle can be obtained from the expression of (3) and (4). This dual control is obtained using a micro-controller as shown in Fig. 4. Here, the 4 bit multiplier is employed for generating multiples of


Fig. 4 Microcontroller based control of digital phase shifter
unit phase shifts (e.g. 2T, 3T, 4T, etc.), whereas S1, S2, S3 and S 4 are the inputs from the microcontroller to generate unit phase shift $T$ as required.

Figure 5 represents the graphical display of the locus of the conical scan undertaken by the beam as given in Table 3. Since the aperture area is small, the 3 dB beamwidth $\left(\theta_{\mathrm{B}}\right)$ for the array is high, of the order of $52^{\circ}$. For the present case the squint angle $\left(\theta_{\mathrm{q}}\right)$ is $10^{\circ}$. In Fig. 4.7 of [11], the slope of angle error signal at crossover is presented. Using the graph, we see that for $\theta_{\mathrm{q}} / \theta_{\mathrm{B}}=0.2$, the value of " $\theta_{\mathrm{B}} \mathrm{X}$ slope of error signal voltage at cross over" 2 and the beam crossover is 0.5 dB .

### 5.3 Generation of Shaped Beam

In the radars, pencil beams are mainly employed for tracking and searching purposes, whereas shaped beams has a special areas of application such as airport landing system, mobile base station, satellite communication, etc. The antenna patterns has its special shape in airport beacon system, where they have to maintain almost constant shape

Table 3 Switching Pattern for $6 \times 6$ planar conical scanning array

| Elevation angle $(\theta)$ <br> (in deg) | Azimuth angle <br> $(\phi)$ (in deg) | Phase difference <br> X dir $\left(\beta_{x}\right)$ (from <br> delay matrix) | Phase difference <br> Y dir $\left(\beta_{y}\right)$ (from <br> delay matrix) | Calculated unit <br> phase-shift T <br> $($ deg/rad) | Equivalent phase <br> shift T (in deg) <br> (from phase shifters) | Bit combination |
| :--- | :--- | :--- | :--- | :--- | :--- | ---: |
| 18 | 68 | $2 T$ | 5 T | $31.4(\pi / 18)$ | 30.8 | $5+3+2$ |
| 25 | 71.5 | T | 3 T | $80.8(\pi / 7)$ | 81.2 | $6+5+4+2$ |
| 29 | 75.9 | T | 4 T | $66.5(\pi / 8.5)$ | 67.2 | $6+5$ |
| 25 | 78.7 | T | 5 T | $47.1(\pi / 12)$ | 47.6 | $6+2$ |
| 18 | 80.8 | T | 6 T | $29.7(\pi / 19)$ | 29.4 | $5+3+1$ |
| 12 | 78.7 | T | 5 T | $22.6(\pi / 25)$ | 22.4 | 5 |
| 7 | 75.9 | T | 4 T | $16.1(\pi / 35)$ | 15.4 | $4+2+1$ |
| 12 | 71.7 | T | 3 T | $37.7(\pi / 15)$ | 37.8 | $5+4+2+1$ |
| 18 | 68 | 2 T | 5 T | $31.4(\pi / 18)$ | 30.8 | $5+3+2$ |

[^1]

Fig. 5 Beam locus in conical scan radar
(power)throughout the range from zenith to horizon without having any null, but require a fall (null) sharply at the zenith. Such asymmetrical patterns are known by their decaying envelopes, like cosecant, cosecant squared, etc. Another shaped beam is sector pattern, which is also widely used in mobile base-stations and satellite earthstations for illuminating an angular region. The synthesis of shaped beam pattern was earlier developed by Woodward and Lawson [12] and then mathematically précised by Elliot and Stern [13]. But both the methods were based on amplitude and phase control method. The methods of generating shaped patterns with complex weights are limited by several disadvantages that is inefficient utilization
of transmitter power, hardware complexities, device saturation etc. In view of this, phase-only techniques are most realizable, where only phase-weights are selectively applied to radiating elements. Here, a practical approach based on the notion of phase-only technique is introduced as follows.

### 5.3.1 Design and Analysis

As mentioned previously, shaped beams are generated by exciting antenna element with varying phase and amplitude weights. But here, the constituents beams from subarrays (here five subarrays) are spatially added to generate shaped patterns. For each subarray, a delay gradient is to be generated to locate its beam in a prefixed direction. Schematic in Fig. 1 is referred for generating different delay gradient. When one subarray pattern overlaps the adjacent subarray pattern, the null can not be formed but an envelope of antenna pattern is obtained. Here, generation of two representative shaped beams, cosecant and sector beam is highlighted.

In this proposition, a 20 -element linear (one dimensional) array is first considered and then they are grouped into five individual subarrays, is shown in Fig. 1. Figure 6 depicts that two set of delay gradient is selected, where the left one used for synthesis of cosecant type pattern and right one for sector pattern. Each subarray consist of 4 antenna elements, where they are separated uniformly by $d=0.4 \lambda$. Let, in subarray- 1 , each antenna element is connected with two parallel delay paths, they may be $0 T$, $0 T, 0 T, 0 T$, which offers the gradient of $0 T$, whereas for

Fig. 6 Delay matrix of 20-element linear array for shaped beam generation



Fig. 7 Simulated result of shaped beam (cosecant) pattern
$+2 T$, the delays may be $0 T, 2 T, 4 T, 6 T)$. Similarly, in the subarray -2 , they connected with two types of delay gradients are -T (delays are $3 T, 2 T, T, 0 T$ ) and $+T$ and same is true for subarray-3 subarray-4 and subarray-5. For acceptable result, the unit delay ( $T$ ) is recommended for $\pi / 8$. Hence, programmable switching is required for the selection of desired set of time delays, which will either generate sector pattern or cosecant pattern. Total eight pin switches $(4+4)$ are to be required in this regard.
5.3.1.1 Case-1 Let consider the case, when gradients in the sub-arrays are $0 T,-T,-3 T,-5 T, 0 T$, respectively. Sub-array-5 is optimal to keep only with sector beam. Due to the phase gradient $0 T$ in subarray-1, main beam will be directed in broadside direction $\left(90^{\circ}\right)$, which is normal to the aperture plane, this should be considered here as zenith. Similarly, $-T$ for subarray- $2,-3 T$ for subarray- $3,-5 T$ for subarray-4 and $0 T$ subarray- 5 generates beam maxima at $81,62,39$, and $90^{\circ}$, respectively, which is obtained from the following expression [8].
$A F(\theta)=\frac{\sin (N \psi / 2)}{N \sin (\psi / 2)}$
where, $\psi=k d \cos \theta+\beta$. The resultant shaped pattern is obtained after interpolation of the constituents beams. Figure 7 shows the Matlab simulation result at $T=\pi / 8$, where pattern is maximum at the zenith $\left(90^{\circ}\right)$ and almost constant along horizon but sharply falls after it.

The beam positions are tabulated as follows:

| Subarray | Delay gradient (T) | Elevation angle $(\theta)$ |
| :--- | :--- | :--- |
| 1 | 0 | $90^{\circ}$ |
| 2 | $-\pi / 8$ | $81^{\circ}(9$ from zenith $)$ |
| 3 | $-3 \pi / 8$ | $62^{\circ}$ |
| 4 | $-5 \pi / 8$ | $39^{\circ}$ |
| 5 | 0 | $90^{\circ}$ |



Fig. 8 Simulated result of shaped beam (sector) pattern
5.3.1.2 Case-2 Again, when the delay gradients in the subarrays are selected, respectively, as $+2 T,+\mathrm{T}, 0 T,-T$, $-2 T$, then corresponding beam position are as follows.

| Subarray | T | Elevation angle $(\theta)$ |
| :--- | :--- | :--- |
| 1 | $2 \pi / 8$ | $108^{\circ}$ |
| 2 | $\pi / 8$ | $98^{\circ}$ |
| 3 | 0 | $90^{\circ}$ |
| 4 | $-\pi / 8$ | $81^{\circ}$ |
| 5 | $-2 \pi / 8$ | $71^{\circ}$ |

Therefore, the sector beam will be symmetrical with respect to the zenith $\left(90^{\circ}\right)$ and beam width will be of $40^{\circ}$. Simulation result by Matlab as shown in Fig. 8.

## 6 Control Mechanism of the Array

This schematic has an inherent advantage, because the RF switches are rapidly controlled by a micro-controller. The simultaneous control of switching matrix as well digital phase-shifter value has been introduced in Sect. 5.2. Here, the flow chart of the control mechanism is depicted Fig. 9. The micro-controller generates the switching pattern in terms of 'bits' at its output. These 'bits' are fed to a driver circuit which generates the driving voltage for the pin switches. The response time is limited by the switching time of the pin diodes.

## 7 Conclusions

In this paper, a conceptual schematic of the time-delay based programmable phased array antenna and its potential application are highlighted. The delay units are inserted in the RF path by switching ON respective PIN switches.


Fig. 9 Flow chart of the control mechanism of the programmable phased array

Apart from electronics steering of SUM pattern, this method can also be used to generate DIFFERENCE pattern which in turn can be steered. Therefore, it is possible to generate SUM-DIFFERENCE pattern which has narrower beam width. Using the SUM-DIFFERENCE pattern, one can calibrate the array as well as eliminate blind speed in a delay line cancellation method. Other applications of such schematic are also presented.

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[^1]:    Unit delay T (time delay) $d x=d y=\lambda / 2$

