## JAYPEE UNIVERSITY OF INFORMATION TECHNOLOGY, WAKNAGHAT TEST-2 EXAMINATION 2022

B.Tech-V Semester (CS/IT)

COURSE CODE (CREDITS): 20B1WCI531 (2) MAX. MARKS: 25

COURSE NAME: FOUNDATION FOR DATA SCIENCE AND VISUALIZATION

COURSE INSTRUCTORS: Ravindara Bhatt and Prateek Thakral MAX. TIME: 1/Hr 30 Min

Note: All questions are compulsory. Marks are indicated against each question in square brackets.

1.

- a. The functional form of Multiple Linear Regression is \_\_\_\_\_[1 Mark] [CO6].
- b. Suppose we want to find the best fitting function y = f(x) where  $y = w^2x + wx$ . How can we use linear regression to find the best value of w? [2 Marks] [CQ6]
- c. What assumptions are required for linear regression? What if some of these assumptions are violated? [2 Marks] [CO6]

2.

- a. Draw and explain the flowchart for regression process.[3 Marks] [CO6]
- b. Compare and contrast each dataset of eleven (x, y) points shown in Figure A [2 Marks] [CO4].

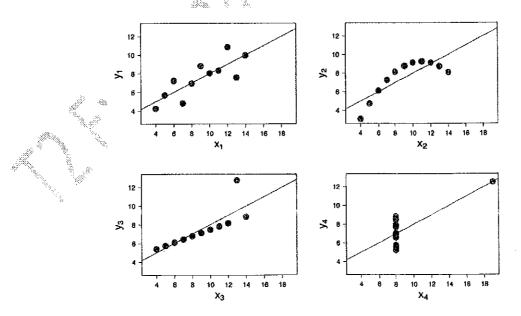


Figure A: Scatter plot of four different datasets

- a. Suppose that matrix A has an eigenvector v with eigenvalue λ. Show that v is also an eigenvector for A², and find the corresponding eigenvalue. How about for A<sup>k</sup>, for 2 ≤k ≤n?
   [2 Marks] [CO 6]
- b. Consider the following matrix A. Compute eigenvalues, and eigenvectors corresponding to each eigenvalues for matrix A. [3 Marks] [CO6]

$$A = \begin{bmatrix} 0.36 & 0.48 & 0 \\ 0.48 & 0.64 & 0 \\ 0 & 0 & 2 \end{bmatrix}$$

4.

- a. Show that v = (a, b) and w = (-b, a) are orthogonal vectors. [2 Marks] [CO6]
- b. Describe the solution set for the following linear system. [3 Marks][CO6]

$$x_1 + 2 x_2 + 3 x_3 = 5$$
  
 $2 x_1 + 5 x_2 + 3 x_3 = 3$   
 $x_1 + 8 x_3 = 17$ 

5.

- a. In general, how would you screen for outliers, and what should you do if you find one?[1
   Mark][CO 3]
- b. We often say that correlation does not imply causation. What does this mean? [ 1 Marks][CO 5]
- c. Solve the optimization problem that will result in a solution for x. [3 Marks] [CO6]

$$\begin{bmatrix} 1 & 2 & 3 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x1 \\ x2 \\ x3 \end{bmatrix} = \begin{bmatrix} 2 \\ 1 \end{bmatrix}$$